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$$P = P_g e^{-t/\Theta_1}$$

where the nomenclature is

Pg . . . maximum hydrostatic pressure in compression chamber prior to release, psig

(4)

- t . . . event time, msec
- $\Theta_1$  . . time constant of pressure release, (i.e., time at which pressure becomes equal to  $P_g/e$ ), msec

A correlation between the postulated pressure-time function as given in equation (4) and the experimental pressuretime traces obtained from tests numbers (4-A), (51), and (24), shown in the aforementioned figures, yields positive evidence as to the validity of the postulated pressure-time function. It is seen that maximum deviation occurs when  $t = T_R$ , where  $T_R$ is the pressure-release time or the time required for the pressure in the compression chamber to decay from  $P_g$  to ambient conditions. From these experimental curves, the pressurerelease time can be expressed in terms of the postulated time constant  $\Theta_1$  as

 $T_R \approx 3 \Theta_1$  (5)

Then from equation (4), it is seen that postulated pressure at time  $T_R$  becomes

$$P = P_g e^{-\frac{5\theta_1}{\theta_1}} \approx 0.05 P_g$$
(6)

that is, after a time duration of magnitude  $3\Theta_1$ , the pressure in the compression chamber is less than 5 percent of its original value  $P_g$ .

From the above statements it appears that the postulated pressure-time function is a good one, and now it is necessary to determine only the time constant  $\Theta_{1}$ , either analytically or